

DAFFYNITION DECODED

TO DECODE THESE THREE DAFFYNITIONS, FOLLOW THESE DIRECTIONS:

Simplify any expression below. Then evaluate the expression for the given value of the variable. Each time your answer appears in the code, write the letter of that exercise above it.

KEEP WORKING AND YOU WILL DECODE THESE THREE DEFT-NITIONS.



LAZY BUTCHER:

$$\begin{array}{r} -49 \quad 121 \quad 12 \quad 6 \quad 14 \quad -114 \quad 12 \quad -12 \quad 121 \quad -79 \\ \hline \end{array}$$

RUBBER RAFT:

$$\begin{array}{r} 48 \quad 14 \quad 12 \quad 41 \quad -20 \quad -28 \quad -114 \quad 41 \\ \hline \end{array}$$

CORN SALESMAN:

$$\begin{array}{r} 10 \quad 6 \quad 12 \quad 14 \quad -61 \quad -20 \quad -79 \quad -114 \quad -61 \quad 121 \quad -79 \\ \hline \end{array}$$



- (T) $6(3x - 5) - 9x$ if $x = 4$
- (U) $4 - 8(-2 - 6t)$ if $t = -1$
- (Y) $-3s + 2(-5s + 1)$ if $s = -3$
- (R) $-7(x + 6) + 12$ if $x = 7$
- (F) $4(8 + 5u) + 2u$ if $u = -2$
- (S) $-5 - 3(4 - r)$ if $r = 9$
- (E) $7 - 6(-8 + 2n) + n$ if $n = -6$
- (P) $8x - 9x + 2(-3x - 4)$ if $x = -8$
- (K) $-4(4 + 7y) + 5 + 3y$ if $y = 2$
- (B) $5(-m - 3) + 4m - 10$ if $m = -5$
- (M) $-1 + 9(4d - 2) - 6d$ if $d = -1$
- (A) $6 - 2y - 6(-3y + 7)$ if $y = 3$
- (O) $-8(9 + 2k) + 8k + k$ if $k = 6$
- (L) $-w - 5 + 5(-5w + 9)$ if $w = 1$

Why Is A Lame Elephant Like Adding 19 And 4?

Find the simplest form for any expression below in the corresponding answer column. (Some of the expressions cannot be simplified.) The letter of the exercise goes in the box that contains the number of the answer. Keep working and you will get the answer to the title question.

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|---|------------------|----|-------------|---|----------------------|----|-------------|
| T | $x^2 \cdot x^4$ | ⑧ | $2x^7$ | W | $(4n^3t^2)(3n^2t^4)$ | 28 | $8n^5t^3$ |
| E | $x^3 \cdot x^7$ | ② | $x^2 + x^5$ | D | $(-2n^2t^5)(4nt)$ | 9 | $12n^5t^6$ |
| S | $x^2 \cdot x$ | 11 | x^6 | H | $(2n^4t^2)(nt^2)$ | 21 | $-8n^2t^4$ |
| O | $2x^4 \cdot x^3$ | 20 | $6x^3$ | E | $(-n^3t)(-8n^2t^2)$ | 10 | $-12n^7t^4$ |
| A | $3x^2 \cdot 2x$ | 25 | x^3 | N | $(4n^6t)(-3nt^3)$ | 5 | $2nt^3$ |
| N | $x^2 \cdot y^3$ | 17 | x^2y^3 | T | $(t^2)(2nt)$ | 18 | $-8n^3t^6$ |
| E | $x^2 + x^5$ | 15 | x^{10} | R | $(-n^2t)(8t^3)$ | 12 | $2n^5t^4$ |
| U | $(3v^2)(4v^5)$ | 26 | $-10v^5$ | E | $a^4 \cdot a^6$ | 19 | $6a^2b^4$ |
| O | $(-2v^3)(5v^2)$ | 16 | $18v^2$ | N | $a^4 \cdot b^6$ | 27 | a^4b^6 |
| S | $(9v^4)(-2v)$ | 24 | $2v^2 + 7v$ | D | $a^4 + a^6$ | 23 | $-6a^3b^3$ |
| A | $(-6v)(-3v)$ | 6 | $-18v^5$ | I | $(-3ab^2)(2a^2b)$ | 14 | a^{10} |
| R | $(2v^2)(7v)$ | 4 | $12v^7$ | P | $(3b)(-2ab^3)$ | 7 | $a^4 + a^6$ |
| E | $2v^2 + 7v$ | 1 | $14v^2k$ | R | $(-6a^2)(-b)$ | 3 | $-6ab^4$ |
| H | $(2v^2)(7k)$ | 22 | $14v^3$ | C | $(2a^2b)(3b^3)$ | 13 | $6a^2b$ |